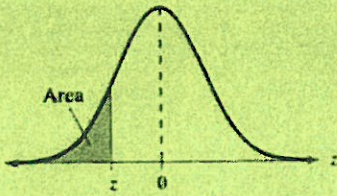


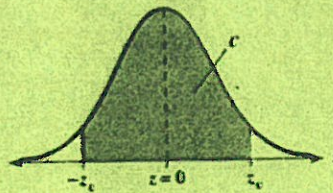
Table 4 — Standard Normal Distribution



| <i>z</i> | .09 | .08 | .07 | .06 | .05 | .04 | .03 | .02 | .01 | .00 |
|----------|-------|-------|-------|-------|-------|-------|-------|-------|-------|-------|
| -3.4 | .0002 | .0003 | .0003 | .0003 | .0003 | .0003 | .0003 | .0003 | .0003 | .0003 |
| -3.3 | .0003 | .0004 | .0004 | .0004 | .0004 | .0004 | .0004 | .0004 | .0005 | .0005 |
| -3.2 | .0005 | .0005 | .0005 | .0006 | .0006 | .0006 | .0006 | .0006 | .0007 | .0007 |
| -3.1 | .0007 | .0007 | .0008 | .0008 | .0008 | .0008 | .0009 | .0009 | .0009 | .0010 |
| -3.0 | .0010 | .0010 | .0011 | .0011 | .0011 | .0012 | .0012 | .0013 | .0013 | .0013 |
| -2.9 | .0014 | .0014 | .0015 | .0015 | .0016 | .0016 | .0017 | .0018 | .0018 | .0019 |
| -2.8 | .0019 | .0020 | .0021 | .0021 | .0022 | .0023 | .0023 | .0024 | .0025 | .0026 |
| -2.7 | .0026 | .0027 | .0028 | .0029 | .0030 | .0031 | .0032 | .0033 | .0034 | .0035 |
| -2.6 | .0036 | .0037 | .0038 | .0039 | .0040 | .0041 | .0043 | .0044 | .0045 | .0047 |
| -2.5 | .0048 | .0049 | .0051 | .0052 | .0054 | .0055 | .0057 | .0059 | .0060 | .0062 |
| -2.4 | .0064 | .0066 | .0068 | .0069 | .0071 | .0073 | .0075 | .0078 | .0080 | .0082 |
| -2.3 | .0084 | .0087 | .0089 | .0091 | .0094 | .0096 | .0099 | .0102 | .0104 | .0107 |
| -2.2 | .0110 | .0113 | .0116 | .0119 | .0122 | .0125 | .0129 | .0132 | .0136 | .0139 |
| -2.1 | .0143 | .0146 | .0150 | .0154 | .0158 | .0162 | .0166 | .0170 | .0174 | .0179 |
| -2.0 | .0183 | .0188 | .0192 | .0197 | .0202 | .0207 | .0212 | .0217 | .0222 | .0228 |
| -1.9 | .0233 | .0239 | .0244 | .0250 | .0256 | .0262 | .0268 | .0274 | .0281 | .0287 |
| -1.8 | .0294 | .0301 | .0307 | .0314 | .0322 | .0329 | .0336 | .0344 | .0351 | .0359 |
| -1.7 | .0367 | .0375 | .0384 | .0392 | .0401 | .0409 | .0418 | .0427 | .0436 | .0446 |
| -1.6 | .0455 | .0465 | .0475 | .0485 | .0495 | .0505 | .0516 | .0526 | .0537 | .0548 |
| -1.5 | .0559 | .0571 | .0582 | .0594 | .0606 | .0618 | .0630 | .0643 | .0655 | .0668 |
| -1.4 | .0681 | .0694 | .0708 | .0721 | .0735 | .0749 | .0764 | .0778 | .0793 | .0808 |
| -1.3 | .0823 | .0838 | .0853 | .0869 | .0885 | .0901 | .0918 | .0934 | .0951 | .0968 |
| -1.2 | .0985 | .1003 | .1020 | .1038 | .1056 | .1075 | .1093 | .1112 | .1131 | .1151 |
| -1.1 | .1170 | .1190 | .1210 | .1230 | .1251 | .1271 | .1292 | .1314 | .1335 | .1357 |
| -1.0 | .1379 | .1401 | .1423 | .1446 | .1469 | .1492 | .1515 | .1539 | .1562 | .1587 |
| -0.9 | .1611 | .1635 | .1660 | .1685 | .1711 | .1736 | .1762 | .1788 | .1814 | .1841 |
| -0.8 | .1867 | .1894 | .1922 | .1949 | .1977 | .2005 | .2033 | .2061 | .2090 | .2119 |
| -0.7 | .2148 | .2177 | .2206 | .2236 | .2266 | .2296 | .2327 | .2358 | .2389 | .2420 |
| -0.6 | .2451 | .2483 | .2514 | .2546 | .2578 | .2611 | .2643 | .2676 | .2709 | .2743 |
| -0.5 | .2776 | .2810 | .2843 | .2877 | .2912 | .2946 | .2981 | .3015 | .3050 | .3085 |
| -0.4 | .3121 | .3156 | .3192 | .3228 | .3264 | .3300 | .3336 | .3372 | .3409 | .3446 |
| -0.3 | .3483 | .3520 | .3557 | .3594 | .3632 | .3669 | .3707 | .3745 | .3783 | .3821 |
| -0.2 | .3859 | .3897 | .3936 | .3974 | .4013 | .4052 | .4090 | .4129 | .4168 | .4207 |
| -0.1 | .4247 | .4286 | .4325 | .4364 | .4404 | .4443 | .4483 | .4522 | .4562 | .4602 |
| -0.0 | .4641 | .4681 | .4721 | .4761 | .4801 | .4840 | .4880 | .4920 | .4960 | .5000 |

Critical Values

| Level of Confidence <i>c</i> | <i>z_c</i> |
|------------------------------|----------------------|
| 0.80 | 1.28 |
| 0.90 | 1.645 |
| 0.95 | 1.96 |
| 0.99 | 2.575 |



Statistics Formula Card

Sample Mean:

$$\bar{x} = \frac{\sum(x)}{n} \qquad \bar{x} = \frac{\sum(x \cdot f)}{\sum(f)}$$

Range = Highest - Lowest

$$\text{Percentile: } P_k = \frac{n \cdot k}{100}$$

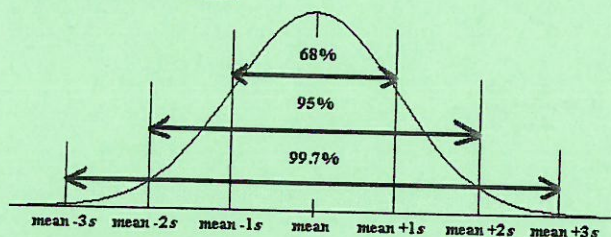
$$\text{Midrange} = \frac{\text{Highest} + \text{Lowest}}{2}$$

Sample Variance:

$$s^2 = \frac{\sum(x - \bar{x})^2}{n - 1} \qquad s^2 = \frac{\sum x^2 - \frac{(\sum x)^2}{n}}{n - 1}$$

Chebyshev's Theorem: at least $1 - \frac{1}{k^2}$, $k = \#$ of Standard Deviations

Emperical Rule:



Sum of Squares:

$$SS_x = \sum x^2 - \frac{(\sum x)^2}{n} \qquad SS_y = \sum y^2 - \frac{(\sum y)^2}{n} \qquad SS_{xy} = \sum(x \cdot y) - \frac{\sum(x) \cdot \sum(y)}{n}$$

Pearson's Correlation Coefficient:

$$r = \frac{SS_{xy}}{\sqrt{SS_x \cdot SS_y}}$$

Equation of line of best fit: $\hat{y} = b_0 + b_1x$ where $b_0 = \frac{\sum(y) - b_1 \cdot \sum(x)}{n}$ and $b_1 = \frac{SS_{xy}}{SS_x}$

Probability:

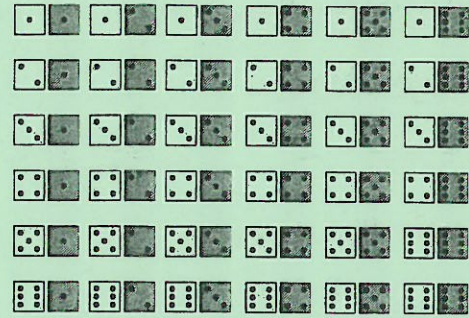
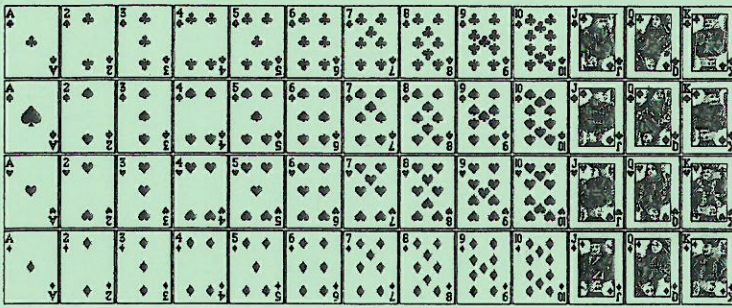
$$P(A) = \frac{n(A)}{n} \qquad P(\bar{A}) = 1 - P(A) \qquad \sum P(x) = 1$$

$$P(A \text{ or } B) = P(A) + P(B) - P(A \text{ and } B)$$

$$P(A \text{ and } B) = P(A) \cdot P(B) \quad (\text{only for independent events})$$

$$P(A|B) = \frac{P(A \text{ and } B)}{P(B)} \quad (\text{only for conditional Probability})$$

$$P(A \text{ and } B) = 0 \quad (\text{only for mutually exclusive events})$$



Discrete Random Variable:

$$\mu = \sum (x \cdot p(x)) \qquad \sigma^2 = \sum (x^2 \cdot p(x)) - \mu^2$$

Binomial Random Variable:

$$\mu = n \cdot p \qquad \sigma^2 = n \cdot p \cdot (1 - p) \qquad p(x) = \binom{n}{x} \cdot p^x \cdot (1 - p)^{n-x}$$

Standard Score:

$$Z = \frac{x - \mu}{\sigma} \qquad Z = \frac{\bar{x} - \mu}{\sigma / \sqrt{n}} \qquad t = \frac{\bar{x} - \mu}{s / \sqrt{n}}$$

Confidence Interval for mean:

$$\bar{x} \pm Z_{(\alpha/2)} \cdot \frac{\sigma}{\sqrt{n}}$$

$$\bar{x} \pm t_{(\alpha/2, df)} \cdot \frac{s}{\sqrt{n}} \qquad df = n - 1$$

| C.I. | $Z_{\alpha/2}$ |
|------|----------------|
| 80% | 1.28 |
| 90% | 1.645 |
| 95% | 1.96 |
| 98% | 2.33 |
| 99% | 2.575 |

Sample Size n:

$$n = \left(\frac{Z_{\alpha/2} \cdot \sigma}{E} \right)^2$$